

| Q            | Marking Instructions  | AO     | Marks    | Typical Solution  |
|--------------|---|--------|----------|---|
| 7(a)         | Uses a technique which could lead to showing two lines are perpendicular.<br>Obtains at least one correct distance (or distance <sup>2</sup> ) or gradient.                 | AO3.1a | M1       | $AB^2 = (8-15)^2 + (17-10)^2$ $= 98$ $AC^2 = (8--2)^2 + (17--7)^2$ $= 676$  |
|              | Obtains three correct distances (or distance <sup>2</sup> ) or two gradients.<br>Lengths: $7\sqrt{2}, 17\sqrt{2}, 26$<br>Gradients: $AB = -\frac{7}{7}, BC = \frac{17}{17}$ | AO1.1b | A1       | $CB^2 = (15--2)^2 + (10--7)^2$ $= 578$ $AB^2 + BC^2 = 98 + 578$ $= 676$ $= AC^2$  |
|              | Completes correct rigorous argument to show required result<br>Uses Pythagoras<br>OR<br>Multiplies gradients to show product is -1<br>AND<br>Writes a concluding statement. | AO2.1  | R1       | Angle $ABC$ is a right angle.   |
| (b)(i)       | Explains why $AC$ is a diameter<br>Must reference angle subtended by diameter (condone "angle in a semi-circle") or give full explanation.                                  | AO2.4  | E1       | The angle subtended by a diameter is $90^\circ \therefore AC$ must be a diameter of the circle  |
| (b)(ii)      | Deduces correct radius (or radius <sup>2</sup> )  | AO2.2a | B1       | Radius $\frac{\sqrt{676}}{2} = 13$<br><br>Centre $\left(\frac{8-2}{2}, \frac{17-7}{2}\right) = (3, 5)$<br><br>Distance from centre to $D$<br>$(3--8)^2 + (5--2)^2 = 11^2 + 7^2$<br>$= 170 > 169$<br>So $D$ lies outside the circle. |
|              | Obtains mid-point of diameter   | AO1.1b | B1       |   |
|              | Uses $D(-8, -2)$ to find the distance or (distance <sup>2</sup> ) from their centre $OE$  | AO1.1a | M1       |   |
|              | Completes rigorous argument by comparing $\sqrt{170} > 13$ (or $170 > 169$ ) to show that $D$ lies outside the circle   | AO2.1  | R1       |   |
| <b>Total</b> |   |        | <b>8</b> |   |