

| Q | Marking instructions | AO | Mark | Typical solution |
|----|---|------|----------|---|
| 13 | Chooses an appropriate technique to differentiate accept any evidence of product rule or quotient rule | 3.1a | M1 | $x \neq 0$ as y is undefined $\frac{dy}{dx} = \frac{3e^{3x-5}x^2 - 2xe^{3x-5}}{x^4}$ |
| | Differentiates e^{3x-5} correctly | 1.1b | B1 | At a turning point $\frac{dy}{dx} = 0$ |
| | Obtains correct $\frac{dy}{dx}$ ACF | 1.1b | A1 | $\Rightarrow \frac{3e^{3x-5}x^2 - 2xe^{3x-5}}{x^4} = 0$ |
| | Explains that stationary points occur when $\frac{dy}{dx} = 0$ | 2.4 | E1 | $\Rightarrow 3e^{3x-5}x^2 - 2xe^{3x-5} = 0$ $\Rightarrow (3x - 2)xe^{3x-5} = 0$ |
| | Equates their $\frac{dy}{dx}$ to zero and solves their equation with at least one correct line of correct rearrangement. Resulting in a value for x . | 1.1a | M1 | $\Rightarrow x = \frac{2}{3}, e^{3x-5} = 0$ $e^{3x-5} \neq 0$ $\therefore \text{there is only one stationary point.}$ |
| | Deduces their factor $e^{3x-5} \neq 0$ | 2.2a | B1F | |
| | Completes argument to show exactly one stationary point at $x = \frac{2}{3}$. Must include consideration of $x \neq 0$ somewhere. | 2.1 | R1 | |
| | | | | |
| | Total | | 7 | |