Q	Marking Instructions	AO	Mark	Typical Solution
17(a)	Obtains either z-value from inverse	3.1b	B1	
	normal distribution			$P\left(Z < \frac{30 - \mu}{\sigma}\right) = 0.1$
	Condone sign error			$\left(\frac{1}{\sigma}\left(\frac{2}{\sigma}\right) = 0.1\right)$
	AWFW [-1.29, -1.28] or			22.5
	[-0.85, -0.84]	4.4-	B 4 4	$P(Z > \frac{32.5 - \mu}{2}) = 0.8$
	Forms one equation with unknown	1.1a	M1	$P\left(Z > \frac{32.5 - \mu}{\sigma}\right) = 0.8$
	μ and σ using standardised result and z-value (for 0.1)			z= -1.2816 z = -0.8416
	Accept $z = (-4, 4)$ except ±0.1,			2- 1.2010 2 - 0.0410
	±0.2, ±0.8, ±0.9			$30-\mu$
	Condone $\mu - 30$			$\frac{30-\mu}{\sigma} = -1.2816$
	Must use 30			
	Forms next equation with unknown	1.1a	M1	$\frac{32.5 - \mu}{\sigma} = -0.8416$
	μ and σ using standardised result			σ
	and z-value (for 0.8)			$2.5 = 0.44\sigma$
	Accept $z = (-4, 4)$ except ±0.1,			2.5 — 0.440
	±0.2, ±0.8, ±0.9			$\sigma = 5.68$
	Condone $\mu - 32.5$ Must use 32.5			
	Obtains both equations correctly	1.1b	A1	$\mu = 37.3$
	Solves their two simultaneous	1.1a	M1	
	equations in the form of μ and σ			
	Obtains correct value of σ	1.1b	A1	
	AWFW (5.2, 5.9)			
	ISW	4.41		
	Obtains correct value of µ	1.1b	A1	
	AWFW (37.1, 37.5) ISW			
17	States correct probability	1.2	B1	1
(b)(i)		4.4-	N/4	
17	Uses their μ and their σ to find	1.1a	M1	D(V < 25) 0.244
(b)(ii)	P(X < 35) PI by correct value of probability			P(X < 35) = 0.344
	using their μ and their σ or			
	correctly calculated z-value using			
	their μ and their σ			
	Obtains correct probability to 2	1.1b	A1F	1
	decimal places or better			
	FT their μ and their σ			
	If $\mu = (37.1, 37.5)$ and $\sigma = (5.2, 5.9)$			
47(a)	used, answer will be (0.31, 0.37)	0.45	N/4	
17(c)	Identifies the Binomial distribution	3.1b	M1	Y= no. of brownies less than
	model with $n = 13$, $p = \text{their } 0.344$			35g in a batch of 13
	${f PI}$ by correct value of probability using their p			
	Obtains correct probability to 2	1.1b	A1F	$Y \sim B(13,0.344)$
	decimal places or better	1.15	'\'	$P(Y \le 3) = 0.294$
	FT their p			
	If $p = (0.31, 0.37)$ answer will be			
	[0.23, 0.39]			
	Total		12	