Question	Scheme	Marks	AOs
6 (a)	Attempts $P = 100 - 6.25(15 - 9)^2$	M1	3.4
	$=-125$ \therefore not sensible as the company would make a loss	A1	2.4
		(2)	
(b)	Uses $P > 80 \Rightarrow (x-9)^2 < 3.2$ or $P = 80 \Rightarrow (x-9)^2 = 3.2$	M1	3.1b
	$\Rightarrow 9 - \sqrt{3.2} < x < 9 + \sqrt{3.2}$	dM1	1.1b
	Minimum Price = $\pounds 7.22$	A1	3.2a
		(3)	
(c)	States (i) maximum profit =£ 100 000	B1	3.2a
	and (ii) selling price £9	B1	2.2a
		(2)	
(7 marks			7 marks)

(a)

M1: Substitutes x = 15 into $P = 100 - 6.25(x-9)^2$ and attempts to calculate. This is implied by an answer of -125. Some candidates may have attempted to multiply out the brackets before they substitute in the x = 15. This is acceptable as long as the function obtained is quadratic. There must be a calculation seen or implied by the value of -125.

A1: Finds P = -125 or states that P < 0 and explains that (this is not sensible as) the company would make a loss.

Condone P = -125 followed by an explanation that it is not sensible as the company would make a loss of £125 rather than £125 000. An explanation that it is not sensible as "the profit cannot be negative", "the profit is negative" or "the company will not make any money", "they might make a loss" is incomplete/incorrect. You may ignore any misconceptions or reference to the price of the toy being too cheap for this mark.

Alt: M1: Sets P = 0 and finds x = 5,13 A1: States 15 > 13 and states makes a loss (b)

M1: Uses P...80 where ... is any inequality or "= "in $P = 100 - 6.25(x-9)^2$ and proceeds to

 $(x-9)^2 \dots k$ where k > 0 and \dots is any inequality or "="

Eg. Condone P < 80 in $P = 100 - 6.25(x-9)^2 \Rightarrow (x-9)^2 < k$ where k > 0 If the candidate

attempts to multiply out then allow when they achieve a form $ax^2 + bx + c = 0$ **dM1:** Award for solving to find the two positive values for x. Allow decimal answers

FYI correct answers are $\Rightarrow 9 - \sqrt{3.2} < x < 9 + \sqrt{3.2}$ Accept $\Rightarrow x = 9 \pm \sqrt{3.2}$

Condone incorrect inequality work $100-6.25(x-9)^2 > 80 \Rightarrow (x-9)^2 > 3.2 \Rightarrow x > 9 \pm \sqrt{3.2}$

Alternatively award if the candidate selects the lower of their two positive values $9-\sqrt{3.2}$ A1: Deduces that the minimum Price = £7.22 (£7.21 is not acceptable)

(c)

(i) **B1:** Maximum Profit = \pounds 100 000 with units. Accept 100 thousand pound(s).

(ii) **B1:** Selling price = \pounds 9 with units

SC 1: Missing units in (b) and (c) only penalise once in these parts, withhold the final mark.

SC 2: If the answers to (c) are both correct, but in the wrong order score SC B1 B0

If (i) and (ii) are not written out score in the order given.