Question	Scheme	Marks	AOs
11(a)	$\left(2 - \frac{x}{16}\right)^9 = 2^9 + {9 \choose 1} 2^8 \cdot \left(-\frac{x}{16}\right) + {9 \choose 2} 2^7 \cdot \left(-\frac{x}{16}\right)^2 + \dots$	M1	1.1b
	$\left(2 - \frac{x}{16}\right)^9 = 512 + \dots$	B1	1.1b
	$\left(2 - \frac{x}{16}\right)^9 = \dots -144x + \dots$	A1	1.1b
	$\left(2-\frac{x}{16}\right)^9 = \dots + \dots + 18x^2 + \dots$	A1	1.1b
		(4)	
(b)	Sets $512'a = 128 \Rightarrow a = \dots$	M1	1.1b
	$(a=)\frac{1}{4}$ oe	A1 ft	1.1b
		(2)	
(c)	Sets $512'b + -144'a = 36 \Rightarrow b =$	M1	2.2a
	$(b=)\frac{9}{64}$ oe	A1	1.1b
		(2)	

## $\left(2 - \frac{x}{16}\right)^9 = 2^9 \left(1 - \frac{x}{32}\right)^9 = 2^9 \left(1 + \binom{9}{1}\left(-\frac{x}{32}\right) + \binom{9}{2}\left(-\frac{x}{32}\right)^2 + \dots\right)$ = 512 + ...B1 1.1b = ... -144x + ...**A**1 1.1b

(8 marks)

1.1b

1.1b

M1

**A**1

 $= ... + ... + 18x^2 + ...$ 

of  $\left(\pm \frac{x}{16}\right)$  Condone  $\binom{9}{2} 2^7 \cdot \left(-\frac{x^2}{16}\right)$  for term three.

11(a) alt

Allow any form of the binomial coefficient. Eg  $\binom{9}{2}$  =  ${}^{9}C_{2}$  =  $\frac{9!}{7!2!}$  = 36

In the alternative it is for attempting to take out a factor of 2 (may allow  $2^n$  outside bracket) and having a correct binomial coefficient combined with a correct power of  $\left(\pm \frac{x}{32}\right)$ 

**B1:** For 512

**A1:** For -144x

**A1:** For +  $18x^2$  Allow even following  $\left(+\frac{x}{16}\right)^2$ 

Listing is acceptable for all 4 marks

**(b)** 

M1: For setting their 512a = 128 and proceeding to find a value for a. Alternatively they could

substitute x = 0 into both sides of the identity and proceed to find a value for a.

A1 ft:  $a = \frac{1}{4}$  oe Follow through on  $\frac{128}{\text{their } 512}$ 

(c)

M1: Condone  $512b \pm 144 \times a = 36$  following through on their 512, their -144 and using their value of "a" to find a value for "b"

