

Question	Scheme		Marks	AOs
13 (a)	$\log_{10} h = 2.25 - 0.235 \log_{10} m$ $\Rightarrow h = 10^{2.25 - 0.235 \log_{10} m}$ $\Rightarrow h = 10^{2.25} \times m^{-0.235}$	$h = pm^q$ $\Rightarrow \log_{10} h = \log_{10} p + \log_{10} m^q$ $\Rightarrow \log_{10} h = \log_{10} p + q \log_{10} m$	M1	1.1b
	Either one of $p = 10^{2.25} \quad q = -0.235$	Or either one of $\log_{10} p = 2.25 \quad q = -0.235$	A1	1.1b
	$\Rightarrow p = 178 \quad \text{and} \quad q = -0.235$		A1	2.2a
			(3)	
(b)	$h = "178" \times 5^{-0.235}$	$\log_{10} h = "2.25" - "0.235" \log_{10} 5$	M1	3.1b
	$h = 122$	$h = 122$	A1	1.1b
	Reasonably accurate (to 2 sf) so suitable		A1ft	3.2b
			(3)	
(c)	"p" would be the (resting) heart rate (in bpm) of a mammal with a mass of 1 kg		B1	3.4
			(1)	

(7 marks)

Notes

(a)

M1: Establishes a link between $h = pm^q$ and $\log_{10} h = 2.25 - 0.235 \log_{10} m$.

May be implied by a correct equation in p or q

A1: For a correct equation in p or q

A1: $p = 178$ and $q = -0.235$

(b)

M1: Uses either model to set up an equation in h (or m)

A1: $h = \text{awrt } 122$. Condone $h = \text{awrt } 122$ bpm

A1ft: Comments on the suitability of the model. Follow through on their answer.

Requires a comment consistent with their answer from using the model.

E.g. It is a suitable model as it is only "3" bpm away from the real value ✓

Do not allow an argument stating that it should be the same.

It is an unsuitable model as "122" bpm is not equal to 119 bpm ×

(c)

B1: "p" would be the (resting) heart rate of a mammal with a mass of 1 kg