| Question | Scheme |  | Marks | AOs |
| :---: | :---: | :---: | :---: | :---: |
| 4(a) | $\mathrm{f}(x)=x^{4}-2 x^{3}-11 x^{2}+12 x+36$ |  |  |  |
|  | $\begin{aligned} f(3)= & (3)^{4}-2(3)^{3}-11(3)^{2}+12(3)+36 \\ & =81-54-99+36+36=\ldots \end{aligned}$ |  | M1 | 1.1 b |
|  | $\mathrm{f}(3)=0$ hence $(x-3)$ is a factor of $\mathrm{f}(x)$ (by the factor theorem). * |  | A1* | 2.4 |
|  |  |  | (2) |  |
| (b) | Deduces $a=2$ |  | B1 | 2.2a |
|  |  |  | (1) |  |
| (c) |  | Shape (positive quartic with two minima). | B1 | 1.1b |
|  |  | $(-2,0)$ and $(3,0)$ | B1ft | 1.1b |
|  |  | $(0,36)$ | B1 | 1.1b |
|  |  | Maximum in 1st quadrant. | B1 | 2.2a |
|  |  |  | (4) |  |

(7 marks)

## Notes:

(a)

M1: Attempts to calculate $\mathrm{f}(3)$. Attempted division of $\mathrm{f}(x)$ by $(x-3)$ is M0.
Either line in the main scheme is acceptable.
A1*: Correct calculation, reason and conclusion. It must follow M1. Accept, for example,
$\mathrm{f}(3)=0$ hence $(x-3)$ is a factor of $\mathrm{f}(x)$ (by the factor theorem).
$\mathrm{f}(3)=0$ hence $(x-3)$ is a factor.
(b)

B1: Deduces that $a=2$
(c)

B1: Shape (positive quartic with two minima).
B1ft: $(-2,0)$ and $(3,0)$ labelled in the correct place at the minima. Condone -2 and 3 .
Follow through on their $a$.
B1: $(0,36)$ labelled as the $y$ intercept. Condone 36.
B1: Local maximum in the first quadrant is the only other turning point.

