Quest	ion	Scheme	Marks	AOs
16		Sets $f'(4) = 0 \Longrightarrow 16 + 2a + b = 0$	M1	2.1
		Integrates $f'(x) = 4x + a\sqrt{x} + b \Rightarrow \{f(x) = \}2x^2 + \frac{2}{3}ax^{\frac{3}{2}} + bx \{+c\}$	M1 A1ft	1.1b 1.1b
		Deduces that $c = -5$	B1	2.2a
		Full and complete method using the given information f'(4) = 0 and $f(4) = 3in order to find values for a and bNote: a = -15 and b = 14$	ddM1	3.1a
		$\{f(x) = \}2x^2 - 10x^{\frac{3}{2}} + 14x - 5$	A1	1.1b
			(6)	
(6 marks)				
Notes:				
M1:	For the key step in setting $f'(4) = 0 \Longrightarrow 16 + 2a + b = 0$ to set up an equation in <i>a</i> and <i>b</i> .			
	Condone slips.			
M1:	M1: For attempting to integrate $f'(x)$. Award for $x^n \to x^{n+1}$ or $b \to bx$ This may come after finding values for <i>a</i> or <i>b</i> or both.			
A1ft:	ft: $\{f(x) = \}2x^2 + \frac{2}{3}ax^{\frac{3}{2}} + bx \ \{+c\} \text{ or, e.g., } \{f(x) = \}2x^2 + \frac{2}{3}ax^{\frac{3}{2}} + (-16 - 2a)x \ \{+c\}$			
	Allow ft on their b in terms of a if they substituted in from their $f'(4) = 0 \Longrightarrow 16 + 2a + b$			$\mathbf{v} = 0$
	Do not ft if they have a value(s) for <i>a</i> or <i>b</i>			
	This may be left unsimplified but the indices must be processed.			
	isw once the mark is awarded. Condone the omission of the $+c$ This accuracy mark requires only the previous M mark to be scored. Deduces that the constant term in $f(x)$ is -5			
R1.				
D . Deduces that the constant term in $I(x)$ is -3 . Note that deducing $h = -5$ is P0. It must be the constant in a charge			on	
ddM1: For a complete strategy to find values for both a and b				
Do not be concerned about the logistics of how they solve the simultaneous equations – this may be done on a calculator. Note: $a = -15$ and $b = 14$				

This is dependent on **both** previous method marks and so must include use of both

• f'(4) = 0 (their 16 + 2a + b = 0 o.e.)

•
$$f(4) = 3$$
 (their $32 + \frac{16}{3}a + 4b - 5 = 3$ o.e.)

A1: $\{f(x) = \}2x^2 - 10x^{\frac{3}{2}} + 14x - 5 \text{ or exact simplified equivalent, e.g., use of } x\sqrt{x} \text{ in place of } x^{\frac{3}{2}}$ Apply isw once a correct expression is seen.