Question	Scheme	Mark	AO
<b>3</b> (a)	[From $3 \sim 4$ bar and freq in table deduce] fd scale of $1 \text{ cm} = 5$	M1	2.2a
	$2 \sim 3$ has freq = <u>25</u> <u>and</u> $4 \sim 6$ has freq = $112 - (64 + 13 + 3 + 25) = 7$	A1 (2)	1.1b
<b>(b)</b>	For a bar between 4~6 of height $\frac{77}{2} = 3.5$ small squares or		2.2a
	For a bar between 6~8 of height 1.5 small squares	M1	
	For a fully correct histogram with all 3 bars plotted correctly	A1ft	1.1b
(c)	(8) 7	(2)	
	Require $\int_{(1)}^{(8)} \frac{k}{x^2} dx = 112$	M1	3.4
	$= \left[\frac{-k}{x}\right]_{1}^{8} = \left(-\frac{k}{8}\right) - \left(-\frac{k}{1}\right) = 112$	M1	1.1b
	i.e. $\left[\frac{7}{8}k = 112 \Longrightarrow\right] \qquad k = \underline{128}$	A1	1.1b
		(3)	
		(7 ma	rks)
	Notes		
(a)	M1 for deducing a correct fd scale (seen on graph or in text) may be imp	olied 25 <u>o</u>	<u>r</u> 7
	if 25 <u>or</u> 7 found, then ignore their fd scale A1 for both 25 <b>and</b> 7		
<b>(b</b> )	Ignore their fd scale in part (b) M1 for a correct bar over 4~6 follow through their "7" from their table		
	or for a correct bar over 6~8		
	A1ft for a fully correct histogram (all 3 bars correct height and correct v allow ft on their 4~6 bar	width)	
(c)	$1^{\text{st}}$ M1 for correct integral expression = 112 (condone missing dx and ignore limits)		
	or attempt to integrate ( $x^{-2} \rightarrow x^{-1}$ ) and set area = 112 (ignore limits)		
	$2^{nd}$ M1 for correct integration and some use of limits of 1 and 8 (condone missing 112)		
	$\frac{7}{8}k = 112$ implies M1M1		
	A1 for 128		