

| Question  | Scheme   | Marks   | AOs  |
|-----------|--|---|------|
| 1(a)      | $J$ and $L$  | B1  | 1.2  |
|           |  | (1)   |      |
| (b)       | $0.27 + v + 0.2 + u + 0.18 = 1$<br>$u + v = 0.35$ *  | B1*   | 1.1b |
|           |  | (1)   |      |
| (c)(i)    | Use of independence<br>$P(J) \times P(K) = P(J \text{ and } K)$<br>and substituting to get an equation in terms of $u$ and $v$ to reach<br>$(0.27 + u)(u + v + 0.2) = u$ | M1  | 2.1  |
|           | Substitution of $u + v = 0.35$ to form an equation in $u$ only<br>$0.55(u + 0.27) = u$ o.e.  | A1  | 1.1b |
|           |  | (2)   |      |
| (c)(ii)   | Solving their equation from (i) to find a value of $u$<br>$0.55(u + 0.27) = u$<br>$0.45u = 0.1485$<br>$u = \dots$  | M1  | 1.1b |
|           | $u = 0.33$<br>$v = 0.02$   | A1  | 1.1b |
|           |  | (2)   |      |
| (6 marks) |  |   |      |
| Notes:    |  |   |      |
| (a)       | B1:  | Correctly choosing $J$ and $L$ only   |      |
| (b)       | B1*:   | Writing or using sum of probabilities = 1 and simplifying to reach $u + v = 0.35$ |      |
| (c)(i)    | M1:  | Use of independence relationship to obtain an equation in $u$ and $v$             |      |
|           | A1:  | Substituting into independence equation to reach an equation in $u$ only          |      |
| (c)(ii)   | M1:  | Solving their equation to obtain a value for $u$                                  |      |
|           | A1:  | Correct values of $u$ and $v$   |      |