| Question | Scheme | Marks | AOs |
| :---: | :---: | :---: | :---: |
| 1(a) (i) <br> (ii) | $z_{1} z_{2} \mid=3 \sqrt{2}$ | B1 | 1.1b |
|  | $\arg \left(z_{1} z_{2}\right)=\frac{\pi}{3}+\left(-\frac{\pi}{12}\right)=\frac{\pi}{4}$ o.e. | B1 | 1.1 b |
|  |  | (2) |  |
| (b) (i) <br> (ii) | $n=8$ | B1ft | 2.2a |
|  | $\left\|w^{n}\right\|=\left(\text { 'their }\left\|z_{1} z_{2}\right\|^{\prime}\right)^{\text {their } n}$ | M1 | 1.1 b |
|  | $\left\|w^{n}\right\|=104976$ | A1 | 1.1 b |
|  |  | (3) |  |

(5 marks)

## Notes:

(a)
(i)

B1: Deduces $\left|z_{1} z_{2}\right|=3 \sqrt{2}$
(ii)

B1: Deduces $\arg \left(z_{1} z_{2}\right)=\frac{\pi}{4}$ o.e
These marks may be awarded for $z_{1} z_{2}=3 \sqrt{2}\left(\cos \frac{\pi}{4}+\mathrm{i} \sin \frac{\pi}{4}\right)$
(b)
(i)

B1ft: $2 \pi$ divided by their $\arg \left(z_{1} z_{2}\right)$ found in part (a) (ii) to give an integer
Alternatively smallest positive integer multiple required to make their argument a multiple of $2 \pi$
(ii)

M1: Their answer to (a) (i) to the power of their $n$.
A1: 104976

