

| Question | Scheme | Marks | AOs |
|---------------|--|-------|------|
| 11 (a) | $f(x) \geq 5$ | B1 | 1.1b |
| | | (1) | |
| (b) | Uses $-2(3-x)+5 = \frac{1}{2}x+30$ | M1 | 3.1a |
| | Attempts to solve by multiplying out bracket, collect terms etc $\frac{3}{2}x = 31$ | M1 | 1.1b |
| | $x = \frac{62}{3}$ only | A1 | 1.1b |
| | | (3) | |
| (c) | Makes the connection that there must be two intersections. Implied by either end point $k > 5$ or $k \leq 11$ | M1 | 2.2a |
| | $\{k : k \in \mathbb{R}, 5 < k \leq 11\}$ | A1 | 2.5 |
| | | (2) | |

(6 marks)

Notes:

(a)

B1: $f(x) \geq 5$ Also allow $f(x) \in [5, \infty)$

(b)

M1: Deduces that the solution to $f(x) = \frac{1}{2}x + 30$ can be found by solving

$$-2(3-x)+5 = \frac{1}{2}x+30$$

M1: Correct method used to solve their equation. Multiplies out bracket/ collects like terms

A1: $x = \frac{62}{3}$ only. Do not allow 20.6

(c)

M1: Deduces that two distinct roots occurs when $y = k$ intersects $y = f(x)$ in two places. This may be implied by the sight of either end point. Score for sight of either $k > 5$ or $k \leq 11$

A1: Correct solution only $\{k : k \in \mathbb{R}, 5 < k \leq 11\}$