| Quest              | on Scheme   | Marks | AOs  |
|--------------------|---|-------|------|
| 11                 | Arithmetic sequence, $T_2 = 2k$ , $T_3 = 5k - 10$ , $T_4 = 7k - 14$                                     |       |      |
|                    | $(5k-10) - (2k) = (7k-14) - (5k-10) \implies k = \dots$   | M1    | 2.1  |
|                    | $\{3k-10 = 2k-4 \implies \}  k=6$   | A1    | 1.1b |
|                    | $\{k = 6 \Rightarrow\}$ $T_2 = 12, T_3 = 20, T_4 = 28$ . So $d = 8, a = 4$                              | M1    | 2.2a |
|                    | $S_n = \frac{n}{2} (2(4) + (n-1)(8))$   | M1    | 1.1b |
|                    | $=\frac{n}{2}(8+8n-8) = 4n^2 = (2n)^2$ which is a square number   | A1    | 2.1  |
|                    |   | (5)   |      |
| (5 marks)          |   |       |      |
| Question 11 Notes: |   |       |      |
| M1:                | Complete method to find the value of <i>k</i>   |       |      |
| A1:                | Uses a correct method to find $k = 6$   |       |      |
| M1:                | Uses their value of k to deduce the common difference and the first term $(\neq T_2)$ of the arithmetic |       |      |
|                    | series.   |       |      |
| M1:                | Applies $S_n = \frac{n}{2} (2a + (n-1)d)$ with their $a \neq T_2$ and their d.                          |       |      |
| A1:                | Correctly shows that the sum of the series is $(2n)^2$ and makes an appropriate conclusion.             |       |      |