

Question	Scheme	Marks	AOs
12 (a)	Total mass = $\frac{4500(1 - (0.98)^{23})}{1 - 0.98}$ or $\frac{4500((0.98)^{23} - 1)}{0.98 - 1}$	M1	3.1b
	= 83621.86152... = 83600 (tonnes) (3 sf)	A1	1.1b
		(2)	
(b)	Expected mass in the year 2040 = $4500(0.98)^{23-1}$	M1	3.4
	= 2885.268132... = 2890 (tonnes) (3 sf)	A1	1.1b
		(2)	
(c)	Total cost = $800(1500(23)) + 600(83621.86152... - 1500(23))$	M1	3.1b
		M1	1.1b
	= $800(34500) + 600(49121.86152...)$ = $27\,600\,000 + 29\,473\,116.91$ = $57\,073\,116.91$		
	$\Rightarrow x = (\text{£})\,57.1$ (million) (3 sf)	A1	3.2a
		(3)	
(c) Alt 1	Total cost = $200(1500(23)) + 600(83621.86152...)$	M1	3.1b
		M1	1.1b
	= $200(34500) + 600(49121.86152...)$ = $6\,900\,000 + 50\,173\,116.91$ = $57\,073\,116.91$		
	$\Rightarrow x = (\text{£})\,57.1$ (million) (3 sf)	A1	3.2a
		(3)	

(7 marks)

Question 12 Notes:**(a)**

M1: Complete method of applying the correct geometric series summation formula with either $n = 22$ or $n = 23$, $a = 4500$ and $r = 0.98$

A1: Correct answer to 3 significant figures of 83600 (tonnes)

(b)

M1: Uses the geometric series model to apply the correct n th term formula with either $n = 22$ or $n = 23$, $a = 4500$ and $r = 0.98$

A1: Correct answer to 3 significant figures of 2890 (tonnes)

(c)

M1: A *complete strategy* to find the total cost

M1: For either

- $800(1500(23)) \{= 27\,600\,000\}$
- $600(83621.86152\dots - 1500(23)) \{= 29\,473\,116.91\}$
- $800(1500(22)) \{= 26\,400\,000\}$
- $600("80736.59338\dots" - 1500(22)) \{= 28\,641\,956.03\}$

A1: Correct answer of $x = (\pounds)57.1$ (million) (3 sf)

Note: Using rounded answer from part (a) gives

- $x = 27\,600\,000 + 29\,460\,000 = 57\,060\,000 = (\pounds)57.1$ (million) (3 sf)

(c)**Alt 1**

M1: A *complete strategy* to find the total cost

M1: For either

- $200(1500(23)) \{= 6\,900\,000\}$
- $600(83621.86152\dots) \{= 50\,173\,116.91\}$
- $200(1500(22)) \{= 6\,600\,000\}$

A1: Correct answer to 3 significant figures of $x = (\pounds)57.1$ (million)

Note: Using rounded answer in part (a) gives

- $6\,900\,000 + 50\,160\,000 = 57\,060\,000 \Rightarrow x = (\pounds)57.1$ (million) (3 sf)

Note: Using $n = 22$ throughout gives (a) 80736.59338... (b) 2944.151155... (c) 55.04195603...