

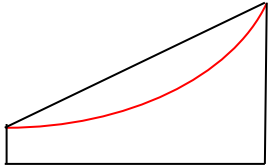
Question	Scheme	Marks	AOs														
2	<table border="1"> <tr> <td>Time (s)</td> <td>0</td> <td>5</td> <td>10</td> <td>15</td> <td>20</td> <td>25</td> </tr> <tr> <td>Speed (m s⁻¹)</td> <td>2</td> <td>5</td> <td>10</td> <td>18</td> <td>28</td> <td>42</td> </tr> </table>	Time (s)	0	5	10	15	20	25	Speed (m s ⁻¹)	2	5	10	18	28	42		
	Time (s)	0	5	10	15	20	25										
Speed (m s ⁻¹)	2	5	10	18	28	42											
(a)	Uses an allowable method to estimate the area under the curve. E.g.																
	Way 1: an attempt at the trapezium rule (see below)																
	Way 2: $\{s = \left(\frac{2+42}{2}\right)(25) \{= 550\}$																
	Way 3: $42 = 2 + 25(a) \Rightarrow a = 1.6 \Rightarrow s = 2(25) + (0.5)(1.6)(25)^2 \{= 550\}$																
	Way 4: $\{d = \} (2)(5) + 5(5) + 10(5) + 18(5) + 28(5) \{= 63(5) = 315\}$	M1	3.1a														
	Way 5: $\{d = \} 5(5) + 10(5) + 18(5) + 28(5) + 42(5) \{= 103(5) = 515\}$																
	Way 6: $\{d = \} \frac{315+515}{2} \{= 415\}$																
	Way 7: $\{d = \} \left(\frac{2+5+10+18+28+42}{6}\right)(25) \{= 437.5\}$																
	$\frac{1}{2} \times (5) \times [2 + 2(5+10+18+28) + 42]$ or $\frac{1}{2} \times ["315" + "515"]$	M1	1.1b														
$= 415 \{m\}$	A1	1.1b															
	(3)																
(b) Alt 1	Uses a Way 1, Way 2, Way 3, Way 5, Way 6 or Way 7 method in (a)																
	Overestimate and a relevant explanation e.g. <ul style="list-style-type: none"> • {top of} trapezia lie above the curve • Area of trapezia > area under curve • An appropriate diagram which gives reference to the extra area • Curve is convex • $\frac{d^2y}{dx^2} > 0$ • Acceleration is {continually} increasing • The gradient of the curve is {continually} increasing • All the rectangles are above the curve (Way 5) 	B1ft	2.4														
		(1)															
(b) Alt 2	Uses a Way 4 method in (a)																
	Underestimate and a relevant explanation e.g. <ul style="list-style-type: none"> • All the rectangles are below the curve 	B1ft	2.4														
		(1)															

(4 marks)

Notes for Question 2

(a)	
M1:	A low-level problem-solving mark for using an allowable method to estimate the area under the curve. E.g.
	Way 1: See scheme. Allow $\lambda(2+2(5+10+18+28)+42)$; $\lambda > 0$ for 1 st M1
	Way 2: Uses $s = \left(\frac{u+v}{2}\right)t$ which is equivalent to finding the area of a large trapezium
	Way 3: Complete method using a uniform acceleration equation.
	Way 4: Sums rectangles lying below the curve. Condone a slip on one of the speeds.
	Way 5: Sums rectangles lying above the curve. Condone a slip on one of the speeds.
	Way 6: Average the result of Way 3 and Way 4. Equivalent to Way 1.
Way 7: Applies (average speed) × (time)	

Notes for Question 2 Continued

(a)	<i>continued</i>
M1:	Correct trapezium rule method with $h = 5$. Condone a slip on one of the speeds. The '2' and '42' should be in the correct place in the [.....].
A1:	415
Note:	Units do not have to be stated
Note:	Give final A0 for giving a final answer with incorrect units. e.g. give final A0 for 415 km or 415ms ⁻¹
Note:	Only the 1 st M1 can only be scored for Way 2, Way 3, Way 4, Way 5 and Way 7 methods
Note:	Full marks in part (a) can only be scored by using a Way 1 or a Way 6 method.
Note:	Give M0 M0 A0 for $\{d = \} 2(5) + 5(5) + 10(5) + 18(5) + 28(5) + 42(5) \{= 105(5) = 525\}$ (i.e. using too many rectangles)
Note	Condone M1 M0 A0 for $\left[\frac{(2+10)}{2}(10) + \frac{(10+18)}{2}(5) + \frac{(18+28)}{2}(5) + \frac{(28+42)}{2}(5) \right] = 395 \text{ m}$
Note:	Give M1 M1 A1 for $5 \left[\frac{(2+5)}{2} + \frac{(5+10)}{2} + \frac{(10+18)}{2} + \frac{(18+28)}{2} + \frac{(28+42)}{2} \right] = 415 \text{ m}$
Note:	Give M1 M1 A1 for $\frac{5}{2}(2+42) + 5(5+10+18+28) = 415 \text{ m}$
Note:	<u>Bracketing mistake:</u> Unless the final calculated answer implies that the method has been applied correctly give M1 M0 A0 for $\frac{5}{2}(2) + 2(5+10+18+28) + 42 \{= 169\}$ give M1 M0 A0 for $\frac{5}{2}(2+42) + 2(5+10+18+28) \{= 232\}$
Note:	Give M0 M0 A0 for a Simpson's Rule Method
(b)	Alt 1
B1ft:	This mark depends on both an answer to part (a) being obtained and the first M in part (a) See scheme
Note:	Allow the explanation "curve concaves upwards"
Note:	Do not allow explanations such as "curve is concave" or "curve concaves downwards"
Note:	Do not allow explanation "gradient of the curve is positive"
Note:	Do not allow explanations which refer to "friction" or "air resistance"
Note:	The diagram opposite is sufficient as an explanation. It must show the top of a trapezium lying above the curve. 
(b)	Alt 2
B1ft:	This mark depends on both an answer to part (a) being obtained and the first M in part (a) See scheme
Note:	Do not allow explanations which refer to "friction" or "air-resistance"