

$\frac{7!}{4!3!}a^3 \times 2^4 = 15120 \Longrightarrow a = \dots$	dM1	2.1
<i>a</i> = 3	A1	1.1b
	(3)	
		(3 marks)

## Notes:

**M1:** For an attempt at the correct coefficient of  $x^4$ .

The coefficient must have

- the correct binomial coefficient
- the correct power of *a*
- 2 or  $2^4$  (may be implied)

May be seen within a full or partial expansion.

Accept 
$${}^{7}C_{4}a^{3}(2x)^{4}$$
,  $\frac{7!}{4!3!}a^{3}(2x)^{4}$ ,  $\binom{7}{4}a^{3}(2x)^{4}$ ,  $35a^{3}(2x)^{4}$ ,  $560a^{3}x^{4}$ ,  $\binom{7}{4}a^{3}16x^{4}$  etc.  
or  ${}^{7}C_{4}a^{3}2^{4}$ ,  $\frac{7!}{4!3!}a^{3}2^{4}$ ,  $\binom{7}{4}a^{3}2^{4}$ ,  $35a^{3}2^{4}$ ,  $560a^{3}$  etc.  
or  ${}^{7}C_{3}a^{3}(2x)^{4}$ ,  $\frac{7!}{4!3!}a^{3}(2x)^{4}$ ,  $\binom{7}{3}a^{3}(2x)^{4}$ ,  $35a^{3}(2x)^{4}$ ,  $560a^{3}x^{4}$ ,  $\binom{7}{3}a^{3}16x^{4}$  etc.  
or  ${}^{7}C_{3}a^{3}2^{4}$ ,  $\frac{7!}{4!3!}a^{3}2^{4}$ ,  $\binom{7}{3}a^{3}2^{4}$ ,  $35a^{3}2^{4}$ ,  $560a^{3}$ 

You can condone missing brackets around the "2x" so allow e.g.  $\frac{7!}{4!3!}a^32x^4$ 

An alternative is to attempt to expand 
$$a^7 \left(1 + \frac{2x}{a}\right)^7$$
 to give  $a^7 \left(\dots \frac{7 \times 6 \times 5 \times 4}{4!} \left(\frac{2x}{a}\right)^4 \dots\right)$   
Allow M1 for e.g.  $a^7 \left(\dots \frac{7 \times 6 \times 5 \times 4}{4!} \left(\frac{2x}{a}\right)^4 \dots\right), a^7 \left(\dots \binom{7}{4} \left(\frac{2x}{a}\right)^4 \dots\right), a^7 \left(\dots 35 \left(\frac{2x}{a}\right)^4 \dots\right)$  etc.

but condone missing brackets around the  $\frac{2x}{a}$ 

Note that  ${}^{7}C_{3}$ ,  $\begin{pmatrix} 7\\ 3 \end{pmatrix}$  etc. are equivalent to  ${}^{7}C_{4}$ ,  $\begin{pmatrix} 7\\ 4 \end{pmatrix}$  etc. and are equally acceptable.

If the candidate attempts (a + 2x)(a + 2x)(a + 2x)... etc. then it must be a complete method to reach the required term. Send to review if necessary.

**dM1:** For "560"  $a^3 = 15120 \Rightarrow a = ...$  Condone slips on copying the 15120 but their "560" must be an attempt at  ${}^7C_4 \times 2$  or  ${}^7C_4 \times 2^4$  and must be attempting the <u>cube root</u> of  $\frac{15120}{"560"}$ . **Depends on the first mark**.

A1: a = 3 and no other values i.e.  $\pm 3$  scores A0

## Note that this is fairly common:

$$C_4 a^3 2x^4 = 70a^3x^4 \Rightarrow 70a^3 = 15120 \Rightarrow a^3 = 216 \Rightarrow a = 6$$

## and scores M1 dM1 A0