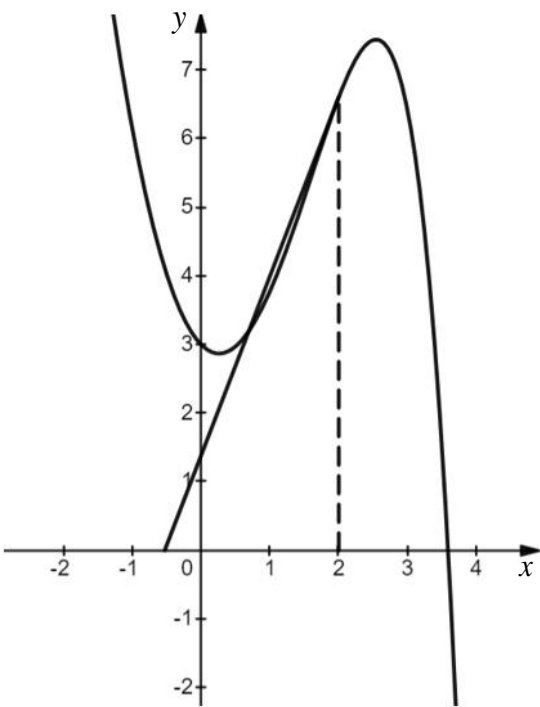


Question	Scheme	Marks	AOs
<b>6(i)</b>	There could be an even number of roots between 4 and 5.	B1	2.3
		(1)	
<b>(ii)(a)</b>	$g'(x) = 5x - e^x$	M1	1.1b
		A1	1.1b
		(2)	
<b>(ii)(b)</b>	Attempts $x_1 = 4 - \frac{2.5 \times 4^2 - e^4 + 4}{5 \times 4 - e^4}$ (NB $g(4) = -10.5\dots$ and $g'(4) = -34.5\dots$ )	M1	1.1b
	$x_1 = \text{awrt } 3.69$	A1	1.1b
		(2)	
<b>(ii)(c)</b>	 <p data-bbox="315 1460 960 1502">The second approximation is further away from <math>\alpha</math></p>	B1	2.4
		(1)	

(6 marks)

**Notes:**

**(i)**  
**B1:** Explains that there could be e.g. two roots between 4 and 5.  
It must be an **even** number of roots that the candidate suggests.  
Alternatively, explains that the curve might not be continuous (in the interval).

**(ii)(a)**  
**M1:** Attempts to differentiate. Look for  $\dots x^2 \rightarrow \dots x$  or  $\dots e^x \rightarrow \dots e^x$   
**A1:**  $g'(x) = 5x - e^x$

**(ii)(b)**

**M1:** Attempts  $x_1 = 4 - \frac{g(4)}{g'(4)}$  to obtain a value following through on their  $g'(x)$  as long as it is a “changed” function.

Must be a correct N-R formula used – may need to check their values.

There must be clear evidence that  $4 - \frac{g(4)}{g'(4)}$  is being attempted.

**A1:**  $x_1 = \text{awrt } 3.69$

**(ii)(c)**

**B1:** First iteration shown starting at  $x = 2$  with

- a tangent to the curve at the point of intersection
- the tangent has a positive gradient meeting the  $x$ -axis to the left of 2
- minimal conclusion that the second approximation is further away from  $\alpha$