| Question | Answer | Marks | AO | Guidance | |
|----------|--|--------|--------------|---|--|
| 6 | DR $3y + x = 7 \implies m = -\frac{1}{3}$ | B1 | 2.1 | | |
| | Gradient of line <i>l</i> through centre perpendicular to given tangent is 3 | B1 FT | 1.2 | Correctly uses the result $m_1m_2 = -1$ | |
| | Equation of <i>l</i> is $y + 2 = 3(x - 3)$ | M1* | 3.1 a | for their <i>m</i> Correct equation of the form y+2=M(x-3) with any non-zero <i>M</i> | |
| | 3y + x = 7y = 3x - 11 $x = 4, y = 1$ | M1dep* | 1.1 | Solves simultaneous equations to find point of intersection | M0 if no working shown but allow following M1 and A1 if earned |
| | $r^2 = (4-3)^2 + (1+2)^2$ | M1 | 1.1 | Correct method to find distance (or distance squared) between centre and points of intersection | |
| | $(x-3)^2 + (y+2)^2 = 10$ | A1 | 2.2a | oe | |
| | Alternative solution | | | | |
| | $(x-3)^2 + (y+2)^2 = r^2$ | B1 | | Correct lhs of equation of circle | |
| | $r^{2} = (7 - 3y - 3)^{2} + (y + 2)^{2}$ | M1* | | Substitutes given line into equation of circle | Any equivalent form |
| | $10y^2 - 20y + (20 - r^2) = 0$ | A1 | | Correct equation in r and either x or y $(10x^2 - 80x + (250 - 9r^2) = 0)$ | Tidied form needed |
| | $(-20)^2 - 4(10)(20 - r^2)$ | M1dep* | | Correct use of the discriminant on their three-term quadratic in either <i>x</i> | |
| | $(-20)^2 - 4(10)(20 - r^2) = 0 \Longrightarrow r^2 = \dots$ | M1 | | or y Set discriminant equal to zero and solve for r or r^2 | |
| | $(x-3)^2 + (y+2)^2 = 10$ | A1 | | Correct rhs of equation of circle | |
| | | [6] | | | |