

4	(a)	<p>DR $f(0.5) = 0.25 - 0.75 - 5.5 + 6 = 0$</p>	<p>B1</p> <p>[1]</p>	<p>2.1</p>	<p>Attempt $f(0.5)$ and show equal to 0 Must be using factor theorem so B0 for alternative methods</p>	<p>B0 for just $f(0.5) = 0$ Condone $2(0.5)^3 - 3(0.5)^2 - 11(0.5) + 6 = 0$</p>
	(b)	<p>DR $f(x) = (2x - 1)(x^2 - x - 6)$</p>	<p>M1</p> <p>A1</p>	<p>1.1</p> <p>1.1</p>	<p>Attempt complete division by $(2x - 1)$</p> <p>Obtain correct quadratic factor</p>	<p>DR so need to see quadratic factor Allow equivalent complete methods eg coefficient matching / inspection / grid method Condone slip(s) in otherwise correct method Seen in division / correct coeffs eg $A = 1$ etc / at top of grid</p>

Question		Answer	Marks	AO	Guidance	
		$f(x) = (2x - 1)(x - 3)(x + 2)$	A1 [3]	1.1	Obtain correct fully factorised $f(x)$	Must be seen as a product of all 3 factors SC B1 for correct factorisation with no DR
	(c)	DR $x = 2^y$ $2^y = 0.5, y = -1$ $2^y = 3, y = 1.58$ $2^y = -2, \text{ no solutions as } 2^y > 0 \text{ for all } y$ Hence $y = -1, y = \log_2 3$	B1 M1 A1 [3]	3.1a 1.1 2.4	State or imply that $x = 2^y$ Attempt to find at least one value of y Obtain both correct values, and no others Must give reason for $2^y = -2$ having no solution	Could be implied by equating 2^y to at least one of their roots Exact or decimal 1.58 or better, or $\frac{\log_n 3}{\log_n 2}$ for $\log_2 3$ eg cannot log a negative number 2^y always greater than 0