

Question		Answer	Marks	AO	Guidance	
12	(a)	$du = e^x dx$	B1	1.1	Correct statement linking du and dx	
		$\int \frac{7(u+2)-8}{u^2} \cdot \frac{1}{u+2} du$	M1	1.1	Use $e^x = u + 2$ to attempt integrand in terms of u	or $dx = \frac{1}{u+2} du$ Must see clear evidence of substitution, including how $e^x dx$ is dealt with M0 for going straight from $7e^x - 8$ to $7u + 6$ with no justification Must include du
		$= \int \frac{7u+14-8}{u^2(u+2)} du = \int \frac{7u+6}{u^2(u+2)} du$	A1	2.1	Correct integrand	Including both integral sign and du throughout, as AG
			[3]			

Question		Answer	Marks	AO	Guidance	
12	(b)	$\frac{A}{u} + \frac{B}{u^2} + \frac{C}{u+2} = \frac{7u+6}{u^2(u+2)}$ $Au(u+2) + B(u+2) + Cu^2 = 7u+6$	M1	3.1a	Attempt correct partial fractions May have $\frac{Au+B}{u^2} + \frac{C}{u+2}$ but M0 for just $\frac{B}{u^2}$ with no $\frac{A}{u}$	Correct method to combine correct fractions, and at least one constant attempted If considering $\frac{7}{u^2} + \frac{-8}{u^2(u+2)}$ then must use partial fractions on the second term to get credit
		$\frac{2}{u} + \frac{3}{u^2} - \frac{2}{u+2}$	A1	2.1	Correct partial fractions May have $\frac{2u+3}{u^2} - \frac{2}{u+2}$	Possibly implied by their $A, B,$ and C values ie $A = 2, B = 3, C = -2$
		$2\ln u - 2\ln u+2 - 3u^{-1}$	M1	1.1	Attempt integration of $\frac{B}{u^2}$ and at least one of $\frac{A}{u}$ or $\frac{C}{u+2}$, and no others	Allow errors in coefficients only Allow M1 if only two fractions, as long as of required form If using $\frac{Au+B}{u^2}$ then it must be a correct integration attempt (ie split into two fractions first)
			A1FT	2.1	FT on their two or three fractions as long as ku^{-2} and one or two fractions each with a linear denominator	Condone brackets not modulus Condone no brackets as long as implied by later working, eg when limits are used
		$(2\ln 4 - 2\ln 6 - \frac{3}{4}) - (2\ln 2 - 2\ln 4 - \frac{3}{2})$	M1	1.1a	Attempt use of correct limits – correct order and subtraction; u or x but commensurate with their integral	Allow substitution into any function that is clearly attempt at integration

