Question			Answer	Marks	AO	Guidance		
3	(a)		$2 \times 3 = 6$ which is even, hence counterexample	B1	2.1	Any product involving 2 and a prime number, evaluated and contradiction identified	eg $2 \times 3 = 6$, which is not odd Condone $2 \times 2 = 4$, which is not odd	
				[1]				
3	(b)	(i)	$x^2 = 3x \iff x = 3$	B1	2.2a	Correct symbol used	Condone ←	
				[1]				
3	(b)	(ii)	$x > 4 \iff x^3 > 64$	B1	2.2a	Correct symbol used	Condone ↔	
				[1]				
3	(b)	(iii)	$x^{o} = 45^{o} \implies \tan x^{o} = 1$	B1	2.2a	Correct symbol used	Condone →	
				[1]				

Question		Answer	Marks	AO	Guidance		
3	(c)	$(2m+1)^2 + (2n+1)^2$	B1	2.1	Correct form seen for the sum of the squares of any two odd numbers	ie two different variables	
		$= 4m^2 + 4m + 1 + 4n^2 + 4n + 1$ = $4m^2 + 4m + 4n^2 + 4n + 2$	M1	2.1	Attempt to square, add and collect like terms for their two distinct odd numbers	Their odd numbers must both be of the form $2p \pm q$ (where q is odd) May involve a single variable eg $(2n + 1)^2 + (2n + 3)^2 = 4n^2 + 4n + 1 + 4n^2 + 12n + 9 = 8n^2 + 16n + 10$ Allow sign and/or coefficient errors only	
		$2(2m^2 + 2n^2 + 2m + 2n + 1)$ hence multiple of 2	A1FT	2.4	Show it is a multiple of 2, by taking out a common multiple or arguing that the coefficients in all terms are even	FT on their two odd numbers Factorising by 2 is sufficient for A1 ie no comment required Condone dividing by 2 to show that the quotient would be an integer	
		$4(m^2 + n^2 + m + n) + 2$ $4(m^2 + n^2 + m + n)$ is multiple of 4, but 2 is not multiple of 4, so never multiple of 4	A1	2.4	Not dep on previous A1, but must follow B1 M1 Take out a common multiple from relevant terms, or argue using coefficients of terms, or take out common factor of 4 and argue that remaining factor is not an integer	Must be from any two odd numbers (ie two different variables) Condone dividing by 4 to show that the quotient is not an integer Comment required – either refer to the remainder of 2 (including '2 more than a multiple of 4'), or that the entire quotient is not an integer, depending on method used	
			[4]			SC B1 for a complete worded argument about two distinct odd numbers eg odd ² = odd for both odd numbers; odd + odd = even, hence multiple of 2	

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