Question		n	Answer	Mark	Guidance
5	(a)		Midpoint <i>AB</i> is (3.5, 5.5); Gradient $AB = -\frac{1}{7}$	B 1	Both. Allow midpoint = $(\frac{0+7}{2}, \frac{6+5}{2})$ ISW
			Gradient of perpendicular bisector $-1/(-\frac{1}{7})$	M1	(= 7)
			y - 5.5 = 7(x - 3.5) oe ISW	A1	cao. Correct answer, no working or inadequate working: SC B2
			Midpt <i>AB</i> is (3.5, 5.5); Gradient $AB = -\frac{1}{7}$	B1	Both
			$(y = 7x + c)$ $5.5 = 7 \times 3.5 + c$	M1	ft their midpt and gradient, NOT $-\frac{1}{7}$
			y = 7x - 19	A1	cao. Any correct form
			$r^{2} + (r, -6)^{2} - (r, -7)^{2} + (r, -5)^{2}$	М1	
			x + (y - 6) - (x - 7) + (y - 5) -12y + 36 = -14x - 10y + 49 + 25 ISW	M1 A1	Attempt expansion cao. Any correct form eg $y = 7x - 19$
				[3]	
5	(b)		Perpendicular bisector of <i>BC</i> is $x + 7y - 17=0$ OR of <i>CA</i> is $4y = 3x - 1$	B1	Any correct form for another perp bisector
			Example method, perp bisectors of <i>AB</i> & <i>BC</i> : $x + 7(7x - 19) - 17 = 0$ ($\Rightarrow x = 3$)	M1	Attempt solve simultaneously equations of two perpendicular bisectors. Can be implied
			Alternative method for 1^{st} two marks Grad BC is 7 so BC & AB perpendicular Hence AC is a diameter	M1 B1	
			Centre is (3, 2) eg Radius ² = $3^2 + (6-2)^2 = 25$	B1 M1	cao. NB, if centre = $(3, 2)$ without clear working, B0M0B1 Correct method for r^2 or r using their centre & A or B or C
			Equn of circle is $(x - 3)^2 + (y - 2)^2 = 25$ or $x^2 - 6x + y^2 - 4y = 12$ oe	A1ft [5]	ISW. ft their centre & radius, dep both M1 marks