

Question			Answer	Marks	AO	Guidance	
17			divide through by $\cos x$ to obtain	B1	2.1	use of Pythagoras to obtain equation in $\tan x$ only; allow 1 sign error	
			$2\tan x + \sec^2 x = 4$				
			$2\tan x + \tan^2 x + 1 = 4$	M1*	3.1a		
			$\tan^2 x + 2\tan x - 3 [= 0]$	A1	1.1		
			$\tan x = 1 \text{ or } -3$	M1*dep	1.1		2 values obtained for $\tan x$ from their quadratic
			$[x =] -1.24905 \text{ to } -1.249 \text{ or } -1.25 \text{ or } -1.2$				
			$[x =] 1.8925 \text{ to } 1.893 \text{ or } 1.89 \text{ or } 1.9$	A1	3.2a		any two correct
			$[x =] \frac{\pi}{4} \text{ or } 0.785 \text{ to } 0.7854 \text{ or } 0.79$				
			$[x =] -\frac{3\pi}{4} \text{ or } -2.3562 \text{ to } -2.356 \text{ or } -2.36$ or -2.4	A1	2.2a	all four correct and no extra values in range; ignore correct extra values outside range but A0 if incorrect values outside range	
				[6]			

Question			Answer	Marks	AO	Guidance
			<p><i>alternatively</i> multiply through by $\cos x$ to obtain</p> $2\sin x \cos x + 1 = 4\cos^2 x$	B1		
			$\sin 2x + 1 = 2\cos 2x + 2$	M1*		use of double angle formulae, allow 1 sign error
			$5\cos^2 2x + 4\cos 2x [= 0]$	A1		or $\sqrt{5}\cos(2x + 0.4636 \dots) = -1$
			<p>NB square both sides: $\sin^2 2x = 4\cos^2 2x + 4\cos 2x + 1$ oe</p>			or $\sqrt{5}\sin(2x - 1.1071 \dots) = 1$
			$\cos 2x = 0 \text{ or } -0.8$	M1dep*		$\cos(2x + 0.4636 \dots) = -\frac{1}{\sqrt{5}}$ or $\sin(2x - 1.1071 \dots) = \frac{1}{\sqrt{5}}$
			<p>2 values obtained for $\cos 2x$ from their quadratic</p>			
			$[x =] -1.24905 \text{ to } -1.249 \text{ or } -1.25 \text{ or } -1.2$			
			$[x =] 1.8925 \text{ to } 1.893 \text{ or } 1.89 \text{ or } 1.9$	A1		any two correct
			$[x =] \frac{\pi}{4} \text{ or } 0.785 \text{ to } 0.7854 \text{ or } 0.79$			
			$[x =] -\frac{3\pi}{4} \text{ or } -2.3562 \text{ to } -2.356 \text{ or } -2.36$ or -2.4	A1		all four correct and no extra values in range; ignore correct extra values outside range but A0 if incorrect values outside range